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# Type-Based Discretionary Access Control

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MYTHS project

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# Access Control in $\pi$ -calculus

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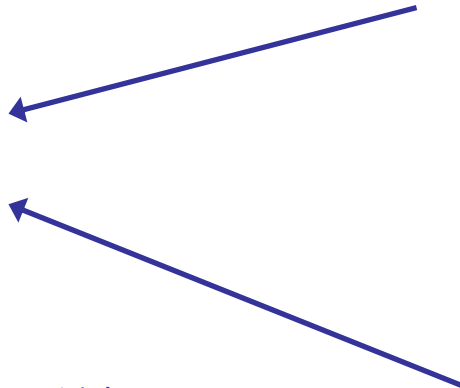
$! \text{ spool } (x) . \text{ print } \langle x \rangle$



$\text{spool } \langle \text{job1} \rangle$

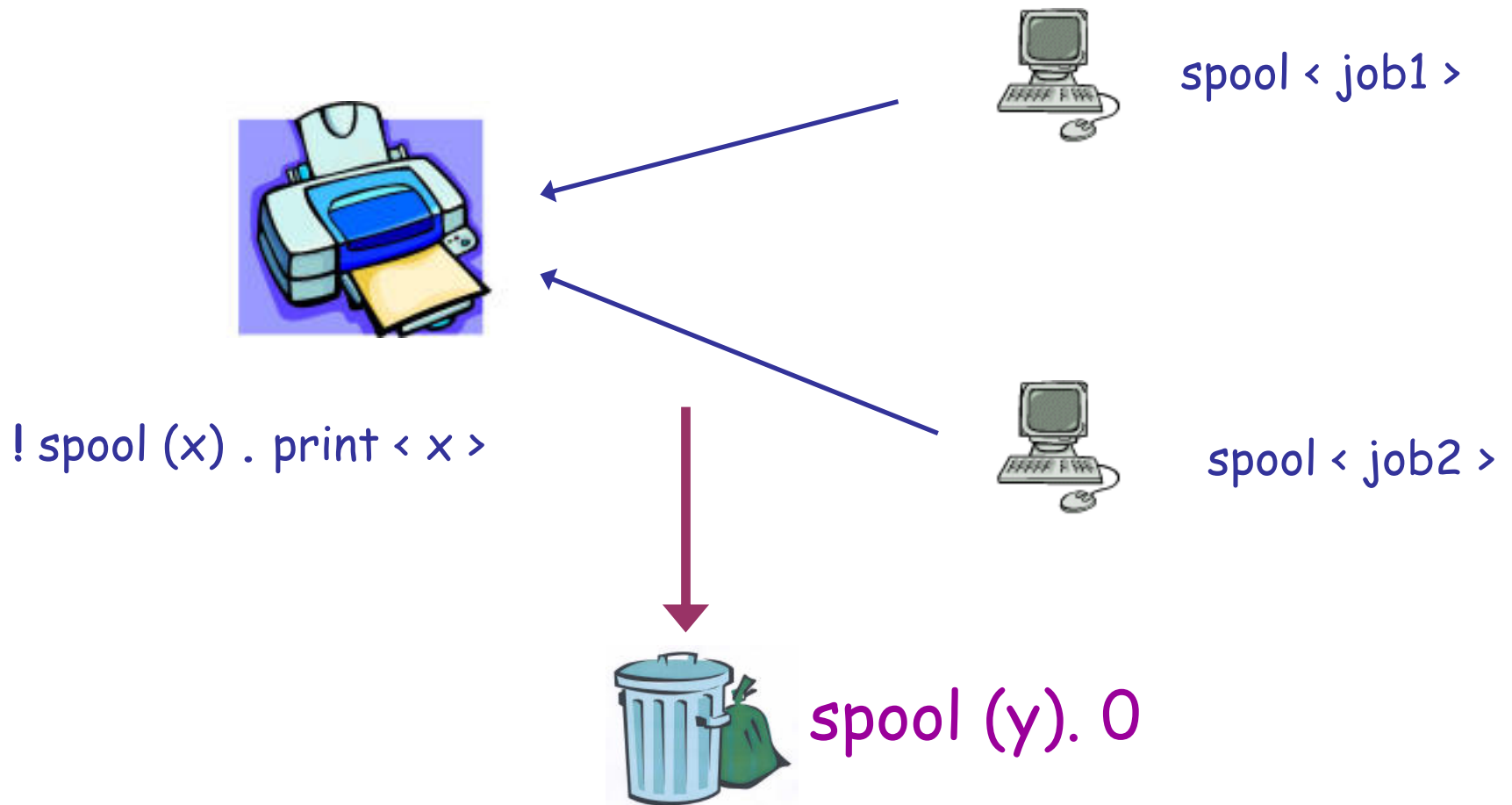


$\text{spool } \langle \text{job2} \rangle$



# Access Control in $\pi$ -calculus

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# Capability Types for Access Control

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PRINTER

pub

CLIENTS

$(\forall \text{ spool} : T^{rw}) \text{ pub} \langle \text{spool} \rangle$



$! \text{ spool} (y) . \text{ print} \langle y \rangle$

$\text{pub} (x : T^w) . x \langle \text{job} \rangle$



~~$x(y).0$~~

The spooler is a  
**write-only** channel

# Looking for stronger guarantees

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- Client jobs should not be logged or leaked



← log <job>



← spool<job>



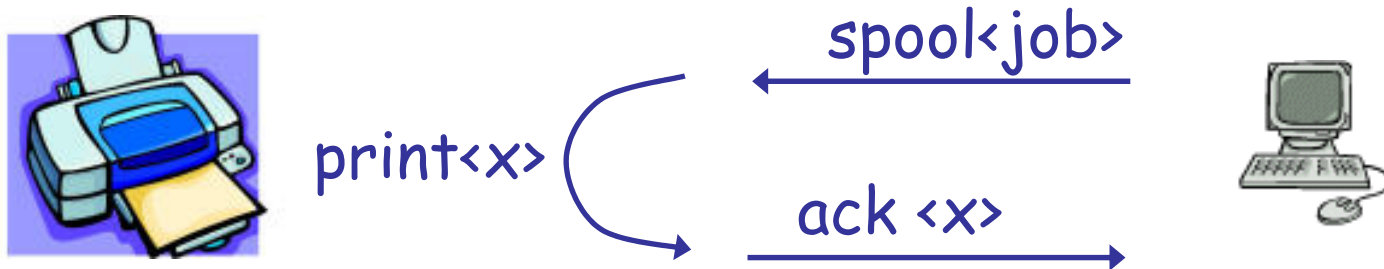
log(y) . SPY

! spool (x) .  
log<x>. print<x>

# Looking for stronger guarantees

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- Client want reliable acknowledgements



`! spool (x) . print<x> . ack<x>` OK

`! spool (x) . ack<x>` CHEATING SPOOLER

# Need more informative types

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- Capability types [PS96] do not help to provide intended guarantees.
- Control the flow of names among system components.
- One need the ability to **express/enforce discretionary policies of access control** governing
  - which authorities may receive values of a given type
  - what (type) capabilities should be passed along with the values

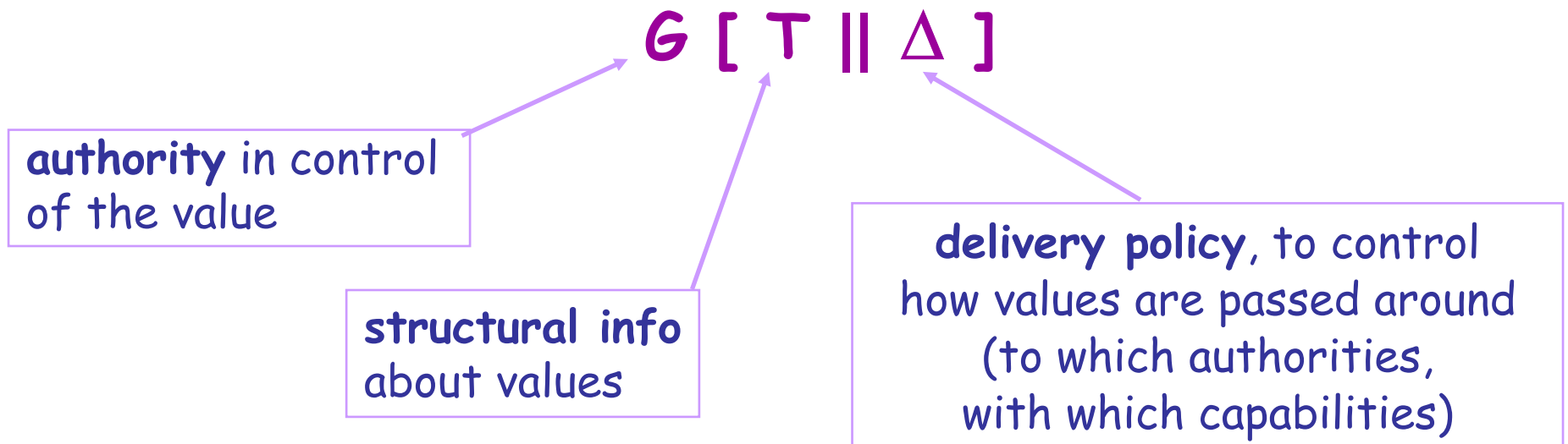
# Controlling delivery of names

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## Associate names with delivery policies:

Capability-based system + new info to describe how values may be exchanged among system components

Generalize **Group Types** [CGG00] adding DAC's ingredients:





# Our goal

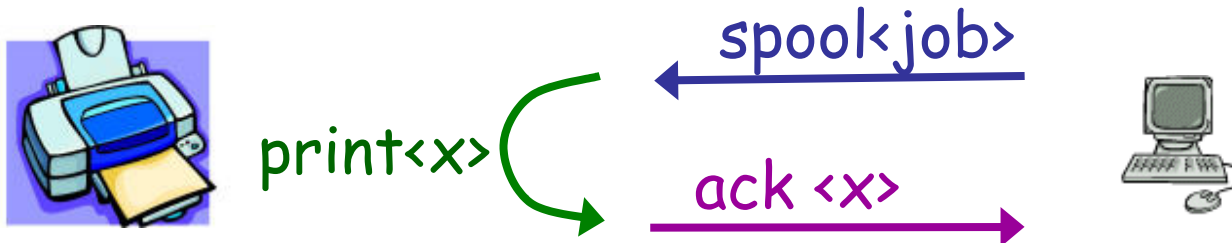
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## Use TYPES

1. **to express** powerful and flexible discretionary access control policies over names (resources)  
( by means of *subtyping, capabilities, a special default group, recursive types* )
2. **to prove** that in well-typed processes
  - all names flow according to the delivery policies specified by their types,
  - and they are received at the intended sites with the intended capabilities.

# Type-based control of the spooler

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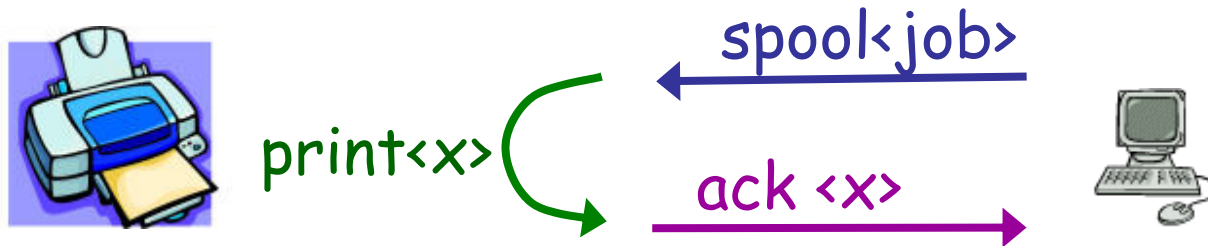


`job : Job [ fd || Spooler  $\curvearrowright$  Printer  $\curvearrowright$  Client ]`

job is a  
file descriptor

to be *first* delivered to the spooler  
*then* passed on to the printer, and  
*only then* sent back to clients as an ack

# Type-based control of the spooler



$\text{job} : \text{Job} [ \text{fd} \parallel \text{Spooler} \curvearrowright \text{Printer} \curvearrowright \text{Client} ]$

$\text{spool} : \text{Spooler} [ (\text{Job} [ \text{fd} \parallel \text{Printer} \curvearrowright \text{Client} ])^{rw} \parallel \Delta ]$

spool is a (r/w) channel  
controlled by the Spooler

spool itself should be  
delivered as dictated by  $\Delta$

It carries a file desc which may be passed on to a client  
only after having been transmitted to the printer

# Type based control of the spooler

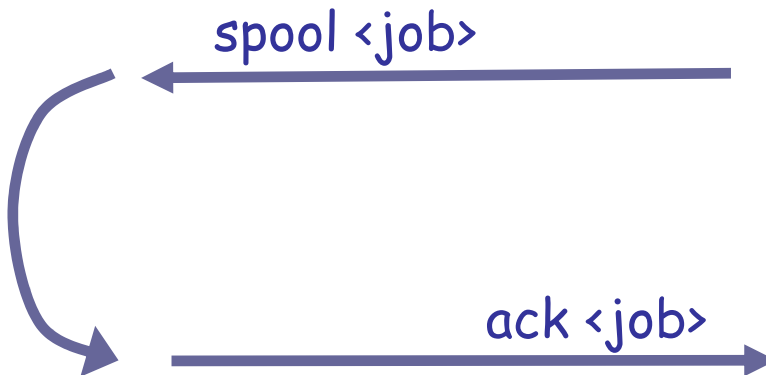
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The client spawns a job with the following type:

$\text{job} : \text{Job} [ \text{fd} \parallel \text{Spooler} \curvearrowright \text{Printer} \curvearrowright \text{Client} ]$



$\text{print} \langle \text{job} \rangle$



# Type based control of the spooler

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Job[ fd || Printer ↪ Client ]



Job [ fd || ]



Job[ fd || Client ]



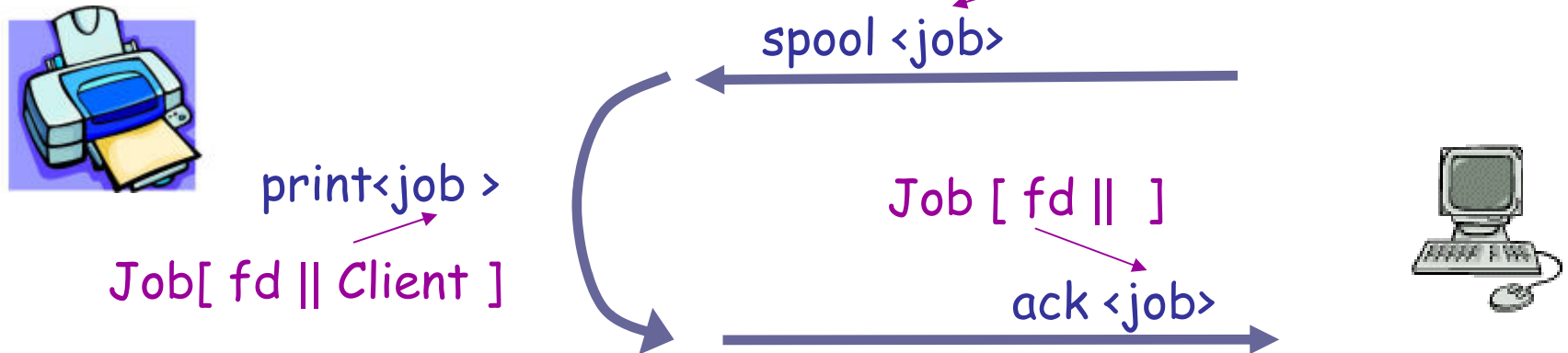
job must be given different types as it is delivered !!

# Type based control of the spooler

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The client spawns a job with the following type:

$\text{job} : \text{Job} [ \text{fd} \parallel \text{Spooler} \curvearrowright \text{Printer} \curvearrowright \text{Client} ]$



job must be given different types as it is delivered !!

# A typed $\pi$ -calculus with groups

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**Syntax** as in [CGG00]:

$$P ::= 0 \mid a(x_1:\tau_1, \dots, x_k:\tau_k).P \mid a\langle b_1, \dots, b_k \rangle.P \\ (\nu n:\tau)P \mid (\nu G)P \mid P|P \mid !P$$

**Types** generalize those in [CGG00]:

Structural types  $T ::= B \mid (\tau_1, \dots, \tau_k)^x$

Resource types  $\tau ::= G[T \parallel \Delta] \mid X \mid \mu X.G[T \parallel \Delta]$

Delivery policies  $\Delta ::= [G_i \rightarrow \tau_i]_{i \in I} \quad G_i = G_j \Rightarrow \tau_i = \tau_j$

# Sample types

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- Channels of group  $G$  that may be received and retransmitted at any other group as write-only channels:

$$\mu X. G[ (\text{nat})^{rw} \parallel G \rightarrow X ;$$
$$\text{Default} \rightarrow \mu Y. G[ (\text{nat})^w \parallel \text{Default} \rightarrow Y ] ]$$

- Alice and Bob establish a private exchange:  
Alice sends a fresh name  $c_{AB}$  to a trusted Server and delegates it to forward it to Bob.  
The **Server** should only act as a forwarder and not interfere with the exchanges between Alice and Bob.

$$c_{AB} : \text{Alice}[(\text{data})^{rw} \parallel \text{Server} \rightarrow \text{Alice}[(\text{data}) \parallel \text{Bob} \rightarrow \text{Alice}[(\text{data})^{rw} \parallel ]]] ]$$



# Operational Semantics

Different occurrences of the same name may flow along different paths.

$n_1:G_1[\dots], n_2:G_2[\dots], n_3:G_3[\dots]$  and  $m : G[ B || G_1 \rightarrow G_2 ; G_3 ]$

$P = n_1\langle m \rangle \mid n_3\langle m \rangle \mid n_1(x). n_3(y). n_2\langle x \rangle$

$Q = n_1\langle m \rangle \mid n_3\langle m \rangle \mid n_1(x). n_3(y). n_2\langle y \rangle$

$P$  is safe,  $Q$  is unsafe, but  $P \rightarrow \rightarrow n_2\langle m \rangle \leftarrow \leftarrow Q$

# Operational Semantics

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Names are tagged to record their flow history:  $m_{[npq]}$

$$n_{[\phi]} \langle m_{[\rho]} \rangle. A \mid n_{[\eta]} (x:\tau). B \rightarrow A \mid B\{x := m_{[\rho n]}\}$$

Now the computation exhibits different flows for P and Q:

$$P = n_1 \langle m \rangle \mid n_3 \langle m \rangle \mid n_1(x).n_3(y).n_2 \langle x \rangle \rightarrow\rightarrow n_2 \langle m_{[n1]} \rangle$$

$$Q = n_1 \langle m \rangle \mid n_3 \langle m \rangle \mid n_1(x).n_3(y).n_2 \langle x \rangle \rightarrow\rightarrow n_2 \langle m_{[n3]} \rangle$$

Theorem:

1. If  $A \rightarrow^* B$  then  $|A| \rightarrow^* |B|$ .
2. If  $|A| \rightarrow^* Q$  then  $A \rightarrow^* B$  for some B s.t.  $|B| \equiv Q$ .

# Type formation and Subtyping

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## Good types

$$G[ T \parallel G_1 \rightarrow G[ T_1 \parallel G_2 \rightarrow G[T_2 \parallel D] ] ]$$

- Delivery preserves the authority in control of values
- $T_i$  are supertypes of  $T$

## Subtyping

$$\frac{\Gamma \vdash T <: T' \quad \Gamma \vdash \Delta <: \Delta'}{\Gamma \vdash G[ T \parallel \Delta ] <: G[ T' \parallel \Delta' ]}$$

Where  $T'$  contains less capabilities than  $T$  and  $\Delta'$  is more restrictive than  $\Delta$

# Core Typing Rules

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(Delivery)

$$\Gamma \vdash n_{[\phi]} : G[ \top \parallel \Delta ]$$

$$\Gamma \vdash m_{[\phi]} : G_1[ \top_1 \parallel \Delta_1 ]$$

$$(G_1 \rightarrow \tau \in \Delta) \text{ or } (\text{Default} \rightarrow \tau \in \Delta)$$

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$$\Gamma \vdash n_{[\phi m]} : \tau$$

# Core Typing Rules

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(Input)

$$\frac{\Gamma \vdash a : G[(\tau_1 \dots \tau_k)^r \parallel \Delta] \quad \Gamma, x_1:\tau_1, \dots, x_k:\tau_k \vdash P}{\Gamma \vdash a(x_1:\tau_1, \dots, x_k:\tau_k). P}$$

(Output)

$$\frac{\begin{array}{l} \Gamma \vdash a : G[(\tau_1 \dots \tau_k)^w \parallel \Delta] \quad \Gamma \vdash P \\ \Gamma \vdash b_i : G_i[\mathsf{T}_i \parallel \Delta_i] \quad \Gamma \vdash \Delta_i(G) <: \tau_i \end{array}}{\Gamma \vdash a \langle b_1, \dots, b_k \rangle . P}$$

# Soundness: Access Control

If  $\Gamma \vdash n_{[\phi]} \langle a_1, \dots, a_k \rangle . A \mid n_{[\varepsilon]}(x_1:\rho_1, \dots, x_k:\rho_k).B$  then

$\Gamma \vdash n_{[\phi]} : G[(\tau_1, \dots, \tau_k)^w \parallel \Delta]$

The **write** capability  
has been grated  
to the writer process

$\Gamma \vdash n_{[\varepsilon]} : G[(\rho_1, \dots, \rho_k)^r \parallel \Delta']$

The **read** capability  
has been grated  
to the reader process

$\Gamma \vdash a_i : \sigma_i \quad \sigma_i \downarrow G <: \tau_i \quad \tau_i <: \rho_i$

The types  $\sigma_i$  of the emitted values  
**allow  $a_i$  to be delivered to  $G$  at a subtype**  
**of the type  $\rho_i$  at which they are received**

# Soundness: Flow Control

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Let  $\Gamma \vdash A$  be a derivable judgment  
depending on the judgment  $\Gamma' \vdash n_{[\phi]} : \tau$   
then

$\Gamma'(n) = \rho$  such that  $\rho \downarrow \phi <: \tau$

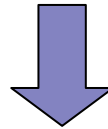
The type  $\rho$  allows  $n$   
to be delivered at a subtype of  $\tau$   
after flowing according to  $\phi$

$n$  flowed as  
described in  $\phi$

# Type soundness

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Access control + Flow control  
+ Subject Reduction



Safety properties preserved  
along the computation

... *Secrecy* as in [CGG00] observing that

$$\llbracket G[T_1, \dots, T_n] \rrbracket = \mu X. G[(\llbracket T_1 \rrbracket, \dots, \llbracket T_n \rrbracket)^{rw} \parallel \text{Default} \rightarrow X]$$



# Conclusions

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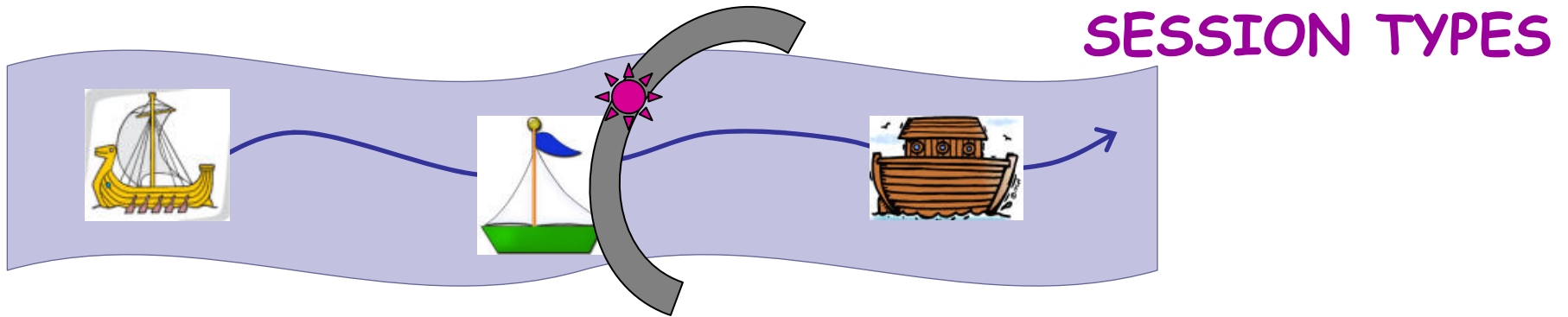
## What we have done

- Developed a new type foundation for discretionary access control policies
- Flexible/powerful and provides strong security guarantees
- A conservative extension of [CGG00]'s type system

## A lot to be done

- Allow changes in the ownership of names, account for ordering relationships over authorities,
- Accommodate declassification mechanisms
- Study the import of type-based policies with typed behavioral equivalences

# Delivery Types vs Session Types



✧ : Observation point

