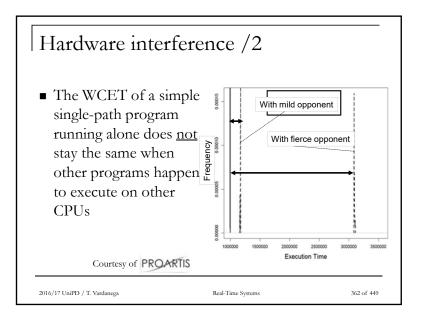
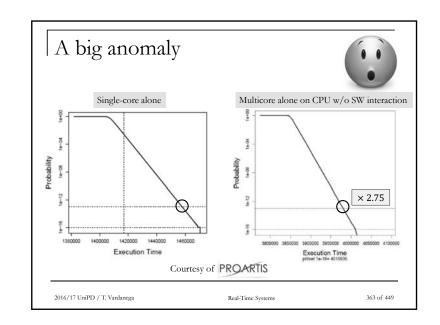


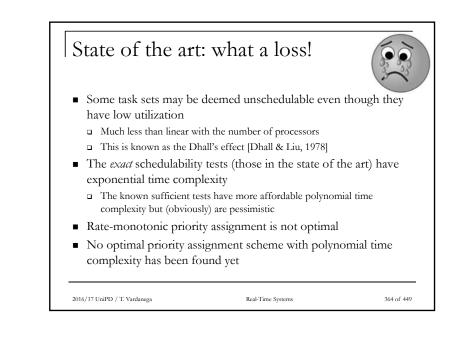


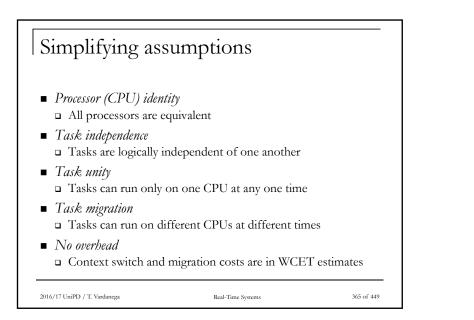
Real-Time Systems

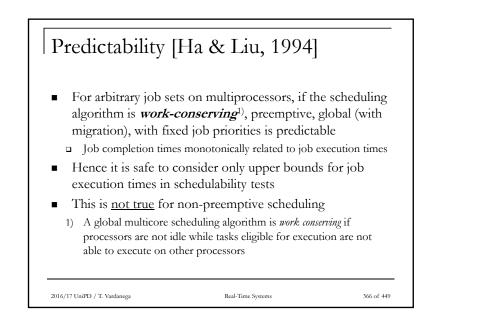
361 of 449

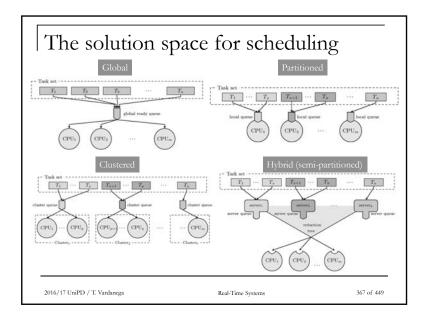












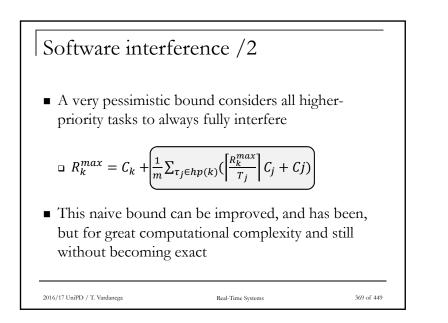
Software interference /1
We know what is the interference *I_i* suffered by a task τ_i for single-processor scheduling

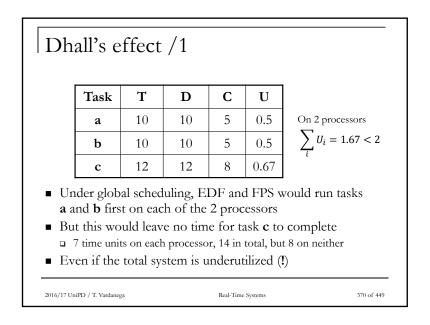
How does this change for multiprocessors?

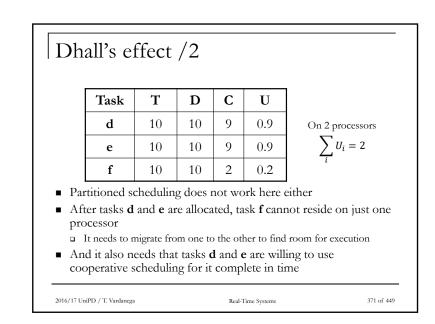
For *global* multiprocessor scheduling with *m* processors, interference only occurs for tasks

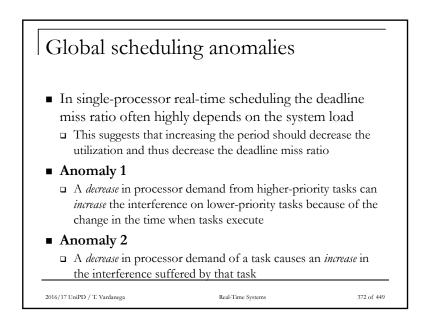
{τ_j}, j > m

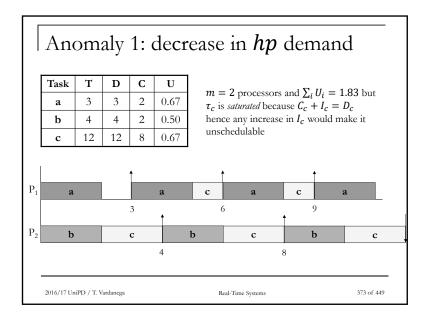
Multiprocessor interference can be computed as the sum of all intervals when *m* higher-priority tasks execute in parallel on all *m* processors

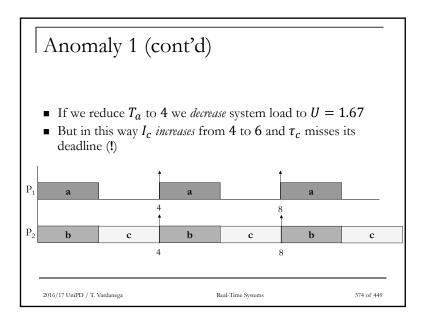


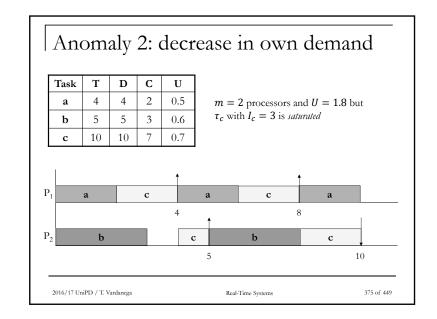


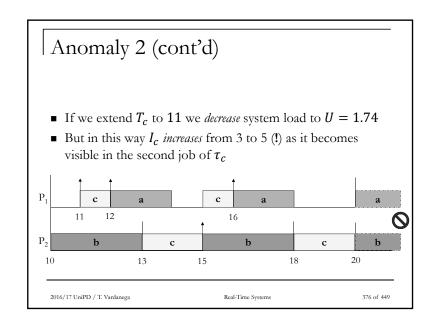


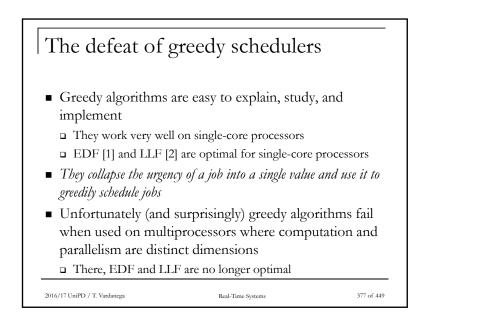




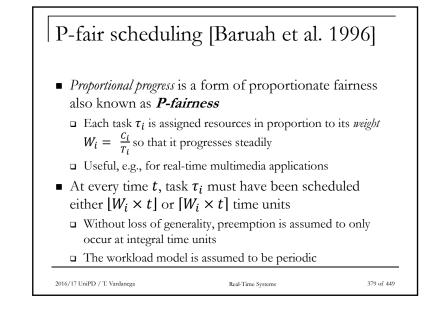


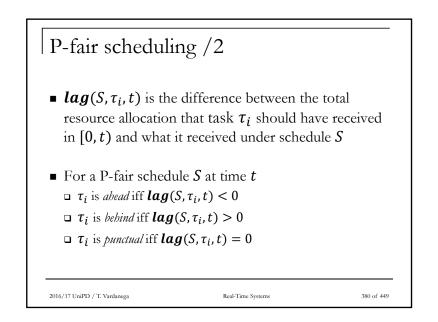


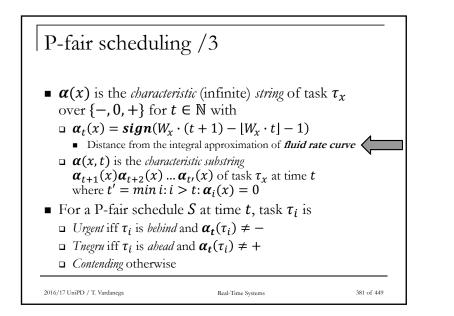


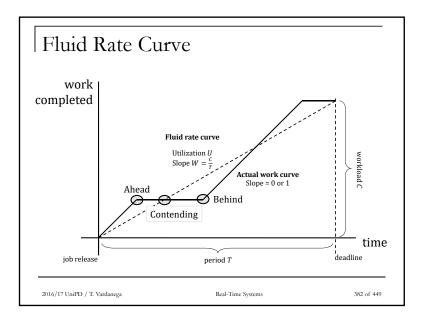


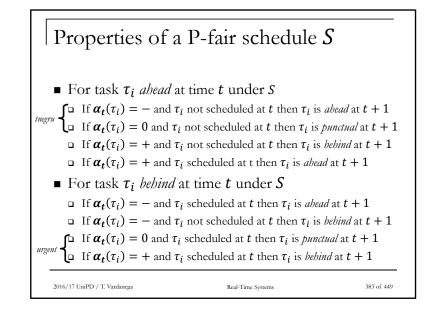
Why do greedy	schedulers fail?
Theorem 1 (stating t	the obvious)
When the total utilization	on of a periodic task set is equal to the
number of processors, th	en no feasible schedule can allow any
processor to remain idle	for any length of time

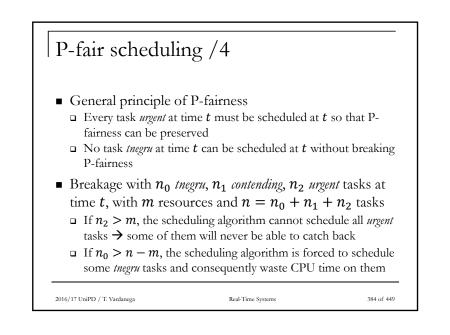


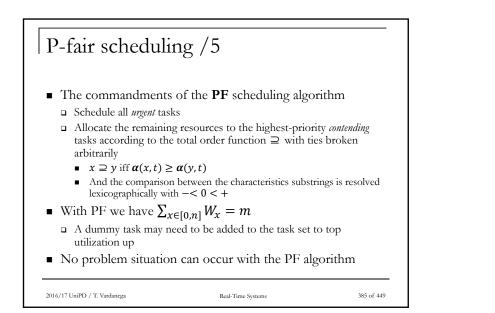












These tasks are scheduled and they become ahead													
_		las	g × p	eriod	d characteristic string ur					ring	urgent	urgent contending	tnegru
t	12	w	x	1	2	v	w	x	y	z	tasks	tasks	tasks
0	0	0	0	0	0	-	-	-	-	-	{}	y > z > x > w > v	{}
1	1	2	-2	-3	-127	-	0	+	+	+	$\{w\}$	y > z > x > v	{}
2	2	0	3	-6	-254	0	-	+	+	+	$\{v, x\}$	w > y > z	{}
3	0	(-2)	1	2	81	-	(0)	- (-	-	{}	y > z > x > v	$\{w\}$
-4	1	Ø	$^{-1}$	-1	-46	-	4	+	+	+	{}	y>z>x>v=w	N
5	2	2	-3	-4	-173	0	0	+	+	+	$\{v, w\}$	y > z > x	$\langle 0 \rangle$
6	0	0	15	-7	162	-	-/	0	+	+	$\{x, z\}$	w > y > v	{}
7	1	-2	0	1	35	-	0	- 1	-	-	{}	y > z > x > y	$\{w\}$
8	2	0	-2	+2	-92	0	-	+	+	+	$\{v\}$	$y > z > x \neq w$	{}
9	0	2	3	-5	-219	-	0	+	+	+	$\{w, x\}$	y > z > v	{}
10	1	0	1	-8	116	-	-	F	0	-	{}	z > x > v = w	$\{y\}$
11	-1	2	-1	0	-11	0	0	+	-	+	$\{w\}$	y > z > x	$\{v\}$
12	0	0	-4	-3	-138	-	-	+	+	+	$\{x\}$	y > z > w > v	- {}
13	1	2	2	-6	-265	1-	0	0	+	+	$\{w, x\}$	v > y > z	- {}
14	-1	0	0	2	70	0	-	-	-	-	$\{\}$	y > z > x > w	$\{v\}$
15	0	2	-2	-1	-57	-	0	+	+	+	$\{w\}$	y > z > x > v	{}
16	1	0	3	-4	-184	-	-	+	+	+	$\{x\}$	y > z > v = w	{}
17	2	2	1	-7	-311	0	0	1	+	+	$\{v, w\}$	x > y > z	{}
18	0	0	-1	1	24	-	-	+	+	1	{}	y > z > x > w > v	{}
19	1	2	-3	-2	-103	-	0	+	A	/+	$\{w\}$	y > z > v = x	{}

