6.a Ramifications of schedulability analysis

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Ex	Example: classic RTA results										
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	Id	Task	T _i	C_i	Priority	Blocking					
	$ au_1$	Producer (periodic)	40	10	4	$B_1 = 2$					
	τ_2	Consumer (sporadic)	40	10	2 (L)	$B_2 = 0$					
	τ_3	Call-back (sporadic)	40	5	5 (H)	$B_3 = 2$					
Q1 Ceiling = $max(P_1, P_2) = 4$ Q2 Ceiling = $max(P_2, P_2) = 5$											
Classic RTA $R_1 = 17$ $R_2 = 25$ $R_3 = 7$ This misses out completely that τ_3 is to be <i>preceded</i> by τ_2 and τ_1 (!)											
$R_{i} = C_{i} + B_{i} + \sum_{j \in hp(l)} \left[\frac{R_{i}}{T_{j}}\right] C_{j}$											
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Example: end-to-end analysis											
	Id	Task	T _i	C _i	Priority	Blocking					
	$ au_1$	Producer (periodic)	40	10	4	$B_1 = 2$					
	$ au_2$	Consumer (sporadic)	40	10	2 (L)	$B_2 = 0$					
	$ au_3$	Call-back (sporadic)	40	5	5 (H)	$B_3 = 2$					
Q1 Ceiling = $max(P_1, P_2) = 4$ Q2 Ceiling = $max(P_2, P_3) = 5$											
	<u>C</u> R R R	Lassic RTA I $_1 = 17$ I $_2 = 25$ I $_3 = 7$ I	ence a 2 0, <i>0</i> 2 = 7 <;=	<u>ce and offset-based RTA</u> $D_2 = R_1^{best}, J_2 = R_1 - R_1^{best}$ Relative to the beginning of the transaction, not knowing the best case							
$R_{l} = C_{l} + B_{i} + \sum_{j \in hp(l)} \left \frac{R_{i} - O_{j} + J_{j} + O_{i} + J_{l}}{T_{j}} \right C_{j} - O_{l} + J_{i}$											
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